

Homework?

Doppler

Speed of sound lab

p433

Q114



$$L = \frac{\lambda}{4}$$

$$c = \lambda f$$

$$c = 4L f$$

$$c = 4(0.50\text{m})(170\text{Hz})$$

$$c = 340\text{m/s}$$

Q 103 $T = 0.99\text{s}$

$$f = \frac{1}{T} = \frac{1}{0.99\text{s}} = 1.01\text{Hz}$$

Q 15



2x mass

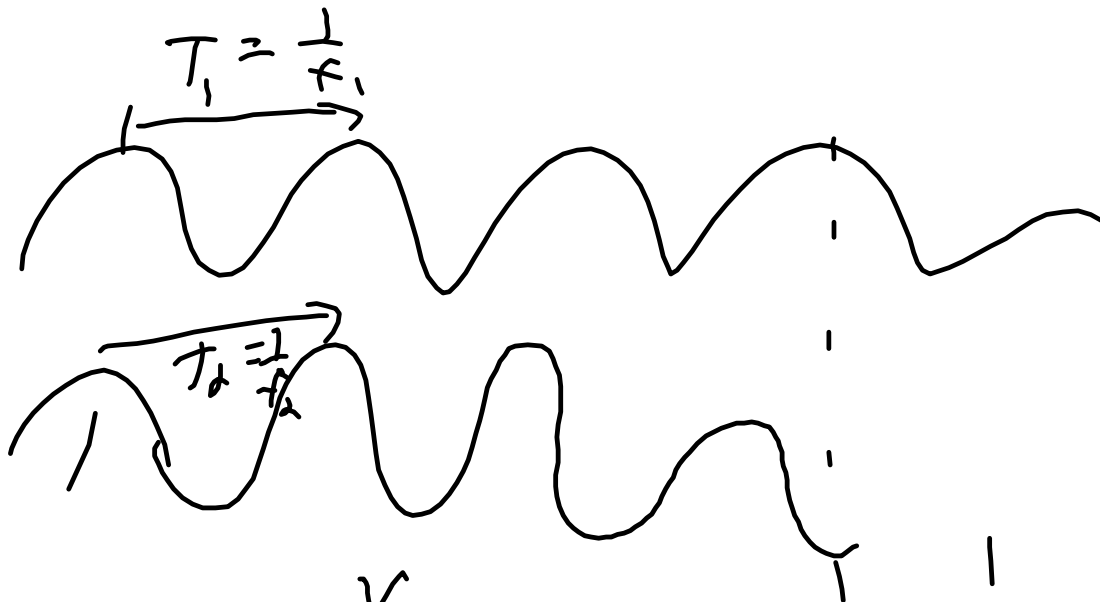
$$F_g = (m)g$$

Q III $L = \frac{\lambda}{2}$ and $2 \times h$

$\lambda_{\text{string}} = 66 \text{ cm}$ in string

$v_{\text{air}} = 340 \text{ m/s} = \lambda (246 \text{ Hz})$

$\lambda_{\text{air}} = 1.4 \text{ m}$



$\lambda = \frac{v}{f}$

$\lambda_2 - \lambda_1 = \textcircled{N} \lambda_2$

$\frac{v}{f_2} - \frac{v}{f_1} = \frac{v}{f_2}$

fendt.de/ph6en/beats_en.htm

Doppler Effect

The apparent change in frequency of a wave due to the relative motion between the source and the observer (Sheldon Cooper)

https://www.youtube.com/watch?v=Tn35SB1_NYI

Car horn

<https://www.youtube.com/watch?v=a3RfULw7aAY&feature=related>

Neeeeeeeyowwww

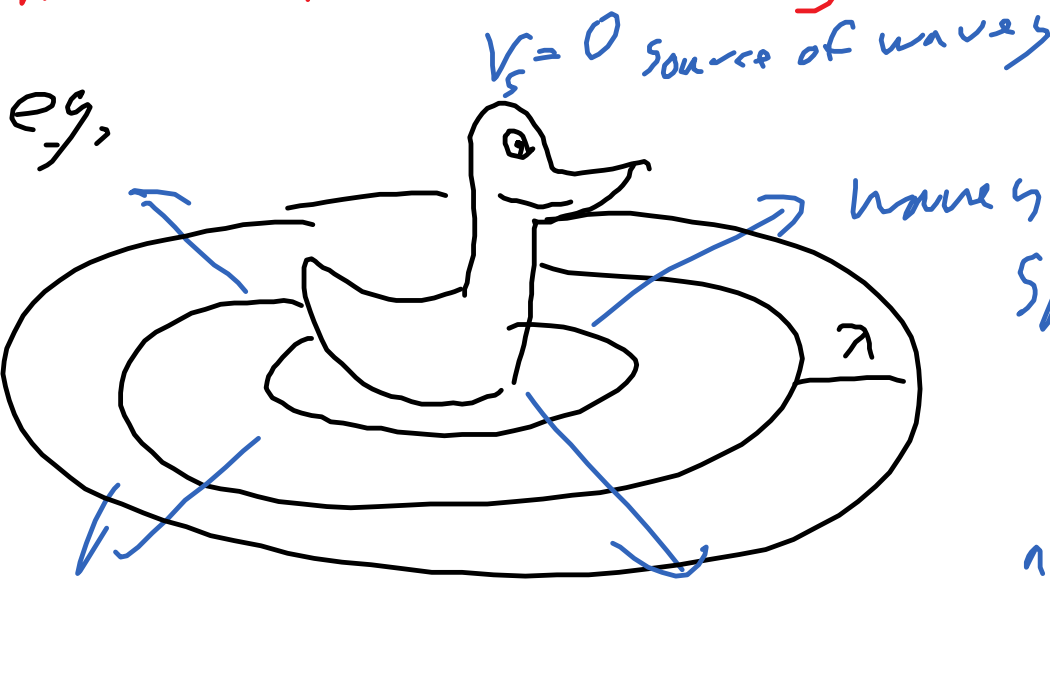


higher
frequency

approaching

lower
frequency

retreating





at velocity
 V_w



$$\lambda' = \lambda \pm V_s T$$

$$\frac{V_w}{f'} = \frac{V_w}{f} \pm \frac{V_s}{f}$$

$$\frac{V_w}{f'} = \frac{V_w \pm V_s}{f}$$

$$f' = f \left(\frac{V_w}{V_w \pm V_s} \right)$$

moving
source

$$f' = f \left(\frac{V_w \pm V_o}{V_w} \right)$$

moving
observer
at velocity

\ V_m / V / V_{source}
at velocity

reflected waves act as V_o
both moving source and
 moving observer.

eg. The Doppler effect was first tested by having two trumpets play the same note, 440.0Hz, one on a train moving away. If you hear 3.0Hz beat frequency, what is the speed of the train?
 p434 Q 123, 127, 130

in groups of 3, record the frequency of a tuning fork and the first 2 resonant lengths in the glass tubes. Calculate the speed of sound in the room. (show your work)